

# M<sup>3</sup>: Multiscale, Deterministic and Reconfigurable Macro-Micro Assembly System for Packaging of MEMS

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**Abstract**— This paper presents recent results in configuring a multiscale (macro-micro) robotic assembly platform with modular and reconfigurable characteristics. M<sup>3</sup> is a multi-robot system capable of spanning across the macro-meso-micro scales, and has been specifically designed to package MOEMS (Micro Opto Electro Mechanical Systems). The emphasis on packaging (as opposed to assembly) is inclusive of the latter, but it also recognizes that bonding, sealing and attachment processes must also be controlled, and will greatly influence the reliability of the microsystem. The system components include precision robots, microstages, end-effectors and fixtures that accomplish assembly tasks in a shared workspace. The system components are systematically characterized in terms of accuracy and repeatability, and assembly plans are performed using kinematic identification, visual servoing, inverse kinematics, and dynamic vibration suppression. As an application packaging problem, various micro and meso scale parts are assembled into a MEMS device. The tolerance budget of assembly ranges from 4 microns to 300 microns, while the size of components in the assembly ranges from 126 microns to 30mm. Various end-effectors and fixtures have been designed for use with off-the-shelf hardware (robots and microstages) and were tested for precision performance. The robots are calibrated to accuracies of 10 microns or less. In this paper we present experimental results of precision robot calibration and visual servoing for fiber pigtailling with one of the robots within M<sup>3</sup>.

## I. INTRODUCTION

Over the past decade, with the emergence of heterogeneous microsystems, such as optical and fluidic MEMS, numerous precision systems have been employed for higher volume manufacturing of these devices [1-8]. These systems can be classified in multiple ways, such as on the basis of throughput (serial, parallel), type of end-

effectors (contact, non-contact), and level of human intervention (manual, teleoperated or automated) [1, 7-8]. Nevertheless, assembly and packaging at the micro scale remains highly challenging and requires bridging the gap between multiple scales of tolerance, part dimension, and workspace limitations. Given the multiscale nature of MEMS, assembly and packaging systems such as the one presented in this paper are clearly necessary to achieve low-cost prototyping and pilot production.

Due to the increased demand for Micro-Opto-Electro-Mechanical System (MOEMS), automated microassembly platforms for such devices have been receiving special attention. Applications include automated assembly for fiber-optics and micro-optical components into devices such as micro-optical benches, WDM (wavelength division multiplexing) components, 1xN and NxN fiber arrays, etc. Recently, a multitude of commercially available and custom equipment has been developed for fiber optic handling, in particular fiber arrays, fixtures, alignment systems, spooling, stripping, etc. [13-16].

In general, commercially available equipment is expensive, lacks versatility, modularity and reconfigurability. Such equipment is often configured for a specific product, process or hardware vendor, requires extensive calibration and the intervention of human operators during assembly. The absence of open-architecture, general-purpose micropackaging systems has contributed to the high cost of MEMS according to the following *OP<sup>3</sup> law: one product, one process, one piece of equipment (our definition)*. In order to produce microsystems such as MEMS, MOEMS or microfluidic devices, microassembly alone is not sufficient, i.e., it must be combined with other processes, in particular joining, bonding and sealing.

In this paper we describe advances in the coordination and control within the M<sup>3</sup>, a multiscale robotic assembly and packaging system developed at the Automation & Robotics Research Institute at the University of Texas Arlington. This system builds upon previous work [3, 7], is modular and reconfigurable, can operate across multiple scales (Macro-Meso-Micro=M<sup>3</sup>) and is currently being used in pilot production of heterogeneous MEMS devices such as the one shown in Figure 1. Typical assembly and packaging operations currently supported by M<sup>3</sup> include precision die and package manipulation, die attach, optical fiber handling, precision fiber pigtailling, and laser solder reflow in inert environments.

Included in the objectives of our work are incorporating modularity and reconfigurability into the mechanical design and the system software, so that we can reuse the system for

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different applications. The key to reusability is the systematic characterization of the system accuracy, resolution and repeatability, combined with appropriate multiscale fixturing, end-effector design, kinematic identification and closed-loop servoing [10, 11].

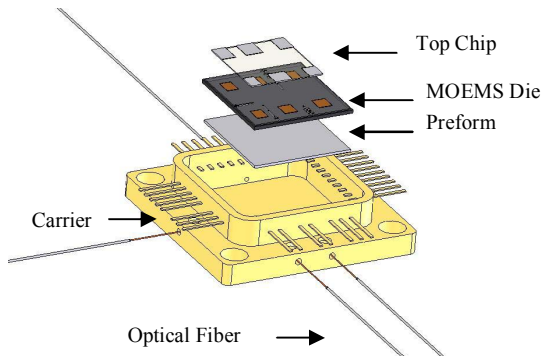


Fig. 1. Components of a MOEMS Package

The paper is organized as follows: in Section 2 we describe the  $M^3$  hardware and software architecture; in Section 3 we describe kinematic identification (calibration) of one of the robots in the workspace; in Section 4 we experimentally demonstrate fiber pigtailing using visual servoing; finally section 5 concludes the paper.

## II. $M^3$ SYSTEM ARCHITECTURE

In order to perform multiscale assembly, a consistent approach to the design of fixtures, end-effectors, and software algorithms was followed. Two iterative loops that generate improvements based on accuracy measurements and on the assembly yield are depicted in Figure 2.

Within  $M^3$ , the types of assembly and packaging operations supported target the packaging of heterogeneous MOEMS devices such as the one shown in Figure 1. These micro and meso-scale parts include a Kovar® carrier package and lid, four optical fibers fed through the carrier, a silicon MEMS die, a glass cap die, wire-bonds, and several solder preforms. Assembly operations include (1) precision pick and place of components such as package, MEMS die and solder preforms from a parts tray to a hotplate; (2) optical fiber handling and insertion into package and DRIE MEMS trenches; and (3) preform handling and laser positioning for soldering in inert gas environment to attach the fibers to the package.

During packaging, two types of challenges needed to be addressed: the automated mechanical handling of all microcomponents at different levels of accuracy, and the integration of reliable attachment and sealing processes into the micromanufacturing process. To accomplish the required tasks, the  $M^3$  uses many robotic subsystems that aid coarse-fine motion and machine vision. A total of four precision robots share a large, macro-scale workspace (several ft<sup>3</sup>). Three of the robots (called pucks) are mobile on an inverted air-bearing surface as depicted in Figure 3.

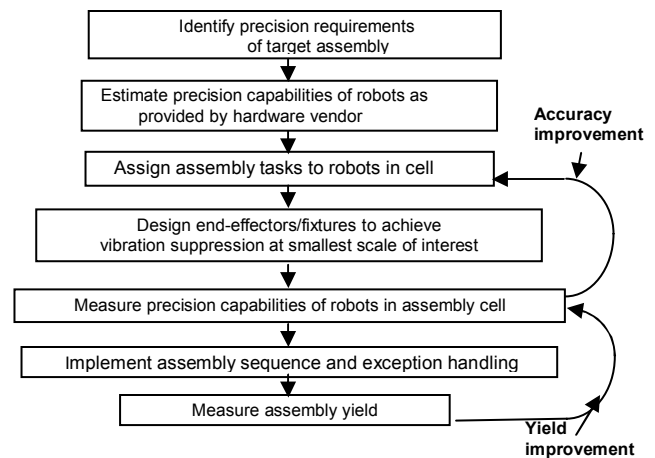


Fig. 2. Schematic diagram of methodology for designing a multiscale assembly system

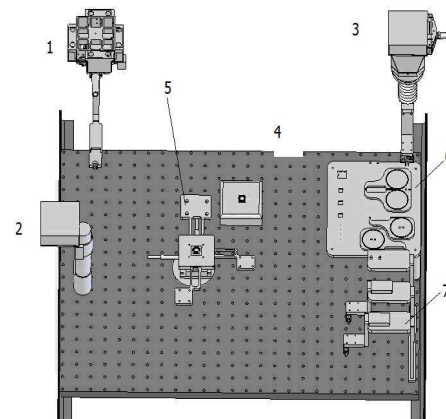


Fig. 3.  $M^3$  hardware: (1) Three axis XYZ ( $R_4$ ) robot ; (2) Four axis XYZ $\theta$  ( $R_1$ ) robot; (3) Four axis XYZ $\theta$  ( $R_2$ ) robot; (4) Optic Breadboard; (5) Four axis XYZ $\theta$  ( $R_3$ ) robot; (6) Parts tray; (7) Tool rest

Within  $M^3$ , the air-bearing system we use is Motoman's Robotworld® hardware. To these pucks we attach additional degrees of freedom and custom, interchangeable end-effectors. The robots are a coarse positioning puck ( $R_2$ ), a mobile motorized zoom microscope fine positioning puck ( $R_1$ ), a coarse positioning puck for a reflow laser ( $R_4$ ), and a custom fine positioning manipulator ( $R_3$ ) for optical fiber handling. Several end-effectors are picked up from a tool rest via a pneumatic tool changer by manipulator  $R_2$ , while  $R_3$  is constructed using discrete stages from other hardware vendors. For a more complete description of  $M^3$  see our previous publication [10].

To coordinate and control the operation of the multiscale robotic platforms and to automate the assembly, modular software applications are run in supervisory mode from central PCs. These software modules are written in Labview™ and provide an interactive user interface, such as

the one shown in Figure 4 that provides direct user access to subsystems, algorithms and process monitors. The system software manages manipulator calibration, kinematics, trajectory planning, assembly and packaging sequence execution and machine vision for “look-and-move” visual servoing.

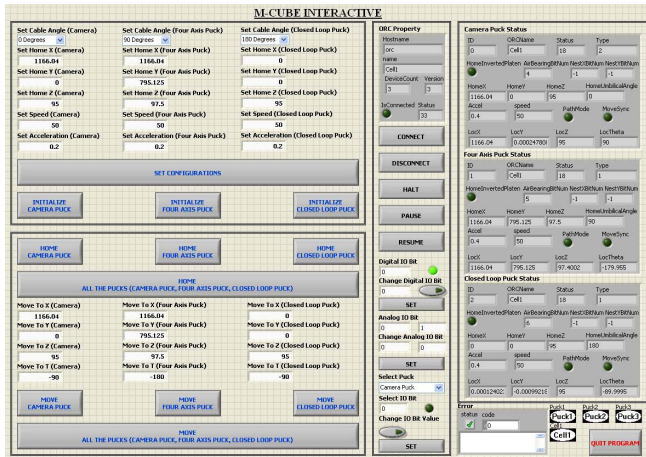


Fig.4. M<sup>3</sup> Software Interface provides user access to different modules like calibration, assembly sequence execution and machine vision

In architecting the system software architecture, we aimed to support changes in tooling, end-effector kinematics, number of end-effectors, modified assembly sequences, and the addition of sensors. The modules of the supervisory software include (1) Robot Control Module; (2) Vision Control Module; (3) Motion Control; (4) Calibration Module; (5) Automation Module; (6) Status Monitoring.

The Robot Control module configures and controls individual robotic manipulators. Robots R<sub>1</sub>-R<sub>4</sub> are abstracted and specified into a sub-VI that provides direct access to low-level commands. The Vision Control module aids in the attaining the required system precision and is also used to monitor the assembly process. Proper operation of the motorized stages, motorized zoom control for the microscopes and control for pneumatic and vacuum grippers such as solenoid and relay controls are governed by the Motion Control module. The Calibration Module is responsible in system calibration. Calibration point selection and generation are managed by this VI. Automation of the assembly process requires implementation of the assembly plan, trajectory planning, collision avoidance, inverse kinematics, tolerance analysis and accuracy measures, which are provided through programming in the Automation Module.

### III. KINEMATIC CALIBRATION FOR ROBOT R<sub>3</sub>

In order to design and characterize the multiscale robotic platform to perform assembly, a systematic approach is adopted. For the MEMS assembly in Figure 1, the tolerance budget is detailed in [10] and contains values between 4  $\mu$ m for fiber into MEMS trench insertion, and 300  $\mu$ m for fiber-

into-package insertion. This budget restricts acceptable manipulator errors in positioning.

Next, the actual accuracy and repeatability of the manipulators is directly measured and/or compared to the hardware vendor specifications. For example, the zoom microscope accuracy and repeatability is experimentally determined through statistical experimentation. The M<sup>3</sup> robots are XY accurate to values between 8 and 51.78 microns respectively taken in different points of their workspace. In case of a reconfigurable end-effector, the robot accuracy is measured by initializing, picking up a suitable tool, an assembly component with the tool and positioning it at a desired target location in the workspace. These measurements are carried out using zoom microscopes and repeatability is measured when the robot switches between two locations with the “to be assembled” component in grasped condition.

Finally, with complete information related to the allowable tolerances and the precision capability, we make an assembly plan. This involves assigning suitable tasks for each robot, and determining the exact balance between fixturing, calibration and servoing, according to the following set of rules: (a) Fixtures can be used to locate objects in the assembly space only when the manipulator accuracy is smaller than the required tolerance; (b) Calibration can be used to locate objects in the workspace only when the repeatability of the manipulator is smaller than the required tolerance; (c) Servoing (for instance visual servoing) on relative position can be used only if the resolution of the manipulator is smaller than the required tolerance. For example, MEMS die positioning which involves a tolerance of 50 microns inside the carrier requires calibration, while the positioning of optical fibers onto the die with allowable tolerance of 4 microns requires a combination of calibration and visual servoing. The complete robot assignment for both systems is based on minimal positioning and process precision needs and thus avoids over-design of the assembly cell.

Coordination within the M<sup>3</sup> system workspace is accomplished by expressing the local coordinate frames attached to each robot in a single global frame, attached to Robotworld®’s platen. In past work [10] we detailed calibration and inverse kinematics for robot R<sub>2</sub> during die pick-and-place operations. The Kinematic ID, and visual servoing with procedure followed for the R<sub>3</sub> robot, the one carrying fibers and fiber spools, is detailed in the remainder of this paper. R<sub>3</sub> is used as a carrying platform for a fixture referred to as a “fiber spool platform”. Fiber spools are fixtures containing 2 ft long optical fibers wrapped around in a tight space. A fiber gripper located on the R<sub>2</sub> robot is used to hold fibers in place, while R<sub>3</sub> aligns the fiber into corresponding MEMS trenches as shown in Figures 5 and 6.

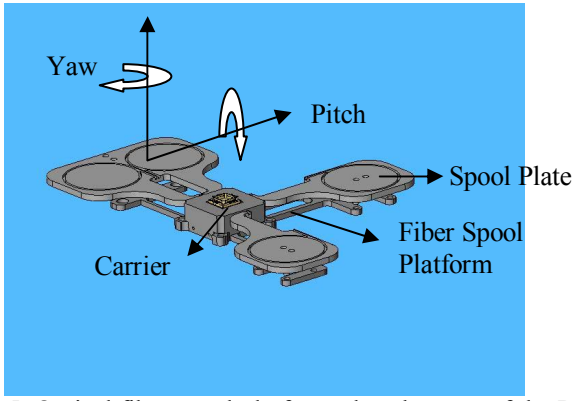


Fig.5. Optical fiber spool platform placed on top of the R<sub>3</sub> XYZθ robot

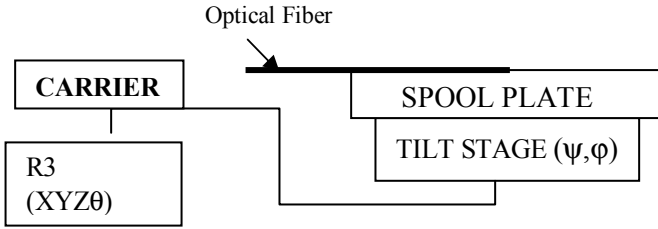


Fig.6. Line Diagram showing optical fiber fixturing

The local coordinate frame associated with R<sub>3</sub> is in encoder counts and is rotated and transformed with respect to the global coordinate (platen) frame. A gray box kinematic model for this robot is of the form:

$$\begin{bmatrix} X \\ Y \end{bmatrix}_{global} = G_{2 \times 2} \cdot I_1 \left( \begin{bmatrix} E_x \\ E_y \end{bmatrix} + \begin{bmatrix} K_1 \\ K_2 \end{bmatrix} \right) + \begin{bmatrix} R_{3x} \\ R_{3y} \end{bmatrix} + R_3(\theta)_{(2 \times 2)} [M_{1(2 \times 2)} \quad T_{(2 \times 1)}] \begin{bmatrix} P_{xmit} \\ P_{ymit} \end{bmatrix} \quad (1)$$

Where  $G \in SO(2)$  is a rotation matrix along the common Z axis between the two coordinate frames (R<sub>3</sub> and global). ‘1’ is the multiplication factor from encoder counts to millimeters.  $[E_x, E_y]$  are the X and Y axes encoder counts.  $[K_1, K_2]$  are the displacement parameters to be estimated from R<sub>3</sub> local coordinate frame.  $[R_{3x}, R_{3y}]$  are the position of the R<sub>3</sub> coordinate axis origin in global coordinates.  $R_3(\theta)$  is the rotation matrix corresponding to the  $\theta$  axis on the robot.  $M_1$  is a 2x2 transformation matrix for the R<sub>1</sub> robot. T is a 2x1 vector relates to offsets in displacement caused due to rotation ‘ $\theta$ ’. To estimate the product (G.I), we start by actuating only the X,Y servos on the R<sub>3</sub> robot while observing the motion with the microscope zoom camera mounted on R<sub>1</sub>. This robot is itself calibrated with respect to the platen as in [10]. By taking repeated measurements, we can determine the location of a reference point in global coordinates.

Taking the differences between consecutive readings with a constant  $\theta$  angle, e.g. subtracting equations of type (1) from each other, we get simply:

$$\begin{bmatrix} \Delta X_n \\ \Delta Y_n \end{bmatrix}_{global} = G_{2 \times 2} \cdot I_1 \begin{bmatrix} \Delta E_{xn} \\ \Delta E_{yn} \end{bmatrix} \quad (2)$$

Or

$$\begin{bmatrix} \Delta X_n \\ \Delta Y_n \end{bmatrix}_{global} = \begin{bmatrix} g_{11} & g_{12} \\ g_{21} & g_{22} \end{bmatrix} \begin{bmatrix} \Delta E_{xn} \\ \Delta E_{yn} \end{bmatrix} \quad (3)$$

Rewriting this equation as a linear LSQ equality, we obtain:

$$\begin{bmatrix} \Delta E_{x1} & \Delta E_{y1} & 0 & 0 \\ 0 & 0 & \Delta E_{x1} & \Delta E_{y1} \\ \cdot & & & \\ \cdot & & & \\ \Delta E_{xn} & \Delta E_{yn} & 0 & 0 \\ 0 & 0 & \Delta E_{xn} & \Delta E_{yn} \end{bmatrix} \begin{bmatrix} g_{11} \\ g_{12} \\ g_{21} \\ g_{22} \end{bmatrix} = \begin{bmatrix} \Delta X_1 \\ \Delta Y_1 \\ \cdot \\ \cdot \\ \Delta X_n \\ \Delta Y_n \end{bmatrix} \quad (4)$$

Tables 1 and 2 show sample measurements (i.e. global coordinates estimated by the camera, and encoder readings) by observing the same feature on the MEMS die while robot R<sub>3</sub> is moving.

TABLE 1. EXPERIMENTAL GLOBAL COORDINATES SHOWN AT ONLY 4 POINTS CORRESPONDING TO EQUATION (1)

Location	X <sub>global</sub> (mm)	Y <sub>global</sub> (mm)
1	813.76	429.48
2	815.3	429.48
3	816.36	429.48
4	816.39	431

TABLE 2. ENCODER VALUES OF R<sub>3</sub> FOR POINTS MEASURED IN TABLE 1.

Location	Ex (counts)	Ey(counts)
1	0	0
2	-25000	0
3	-42000	0
4	-42000	25000

Substituting the data shown in Tables 1 and 2 into equation (4) and using a linear least squares fit on the data, the following G.I matrix;

$$G \cdot I = \begin{bmatrix} -6.2071e & -005 & 1.3089e & -006 \\ 7.2072e & -008 & 6.1393e & -005 \end{bmatrix}$$

Referring back to Equation (1), the unknown parameters that still need identification are:  $[k_1, k_2]$  and  $[t_1, t_2]$ . We now take X, Y and also  $\theta$  increments with robot R<sub>3</sub> to determine the remaining unknowns also via difference measurements. Using experimental data in Equation (5) and fitting a linear equation between the data, we arrive at the following parameters (using 9 datapoints):

$$k_1 = 789.9662, k_2 = 431.994, t_1 = 21.9762, t_2 = 2.5694$$

The identification of these parameters is validated by determining the repeatability of R<sub>3</sub> between two points referenced using R<sub>1</sub>. The resulting distribution had an associated variance of 4.9  $\mu\text{m}$  in X and Y. To improve on this figure, we used a set of 30 datapoints in the kinematic



identification procedure that resulted in the following parameters

$$k_1 = 789.9872, k_2 = 430.23, t_1 = 21.9762, t_2 = 2.5684$$

$$\begin{bmatrix} Gl & R_3(\theta_i) \end{bmatrix} \begin{bmatrix} k1 \\ k2 \\ t1 \\ t2 \end{bmatrix} = \begin{bmatrix} X_i \\ Y_i \end{bmatrix} - G.I. \begin{bmatrix} E_{xi} \\ E_{yi} \end{bmatrix} - R(\theta_i)M_1 \begin{bmatrix} P_{xinit} \\ P_{yinit} \end{bmatrix}$$

$$\begin{bmatrix} Gl & R_3(\theta_1) \\ Gl & R_3(\theta_2) \\ \dots & \dots \\ Gl & R_3(\theta_n) \end{bmatrix} \begin{bmatrix} k1 \\ k2 \\ t1 \\ t2 \end{bmatrix} = \begin{bmatrix} f(X_1, Y_1, \theta_1) \\ f(X_2, Y_2, \theta_2) \\ \dots \\ f(X_n, Y_n, \theta_n) \end{bmatrix} \quad (5)$$

With these parameters, the calibrated  $R_3$  was repeatable with  $4.1 \mu\text{m}$  variance. Following calibration,  $R_3$  is used to perform fiber insertion, as detailed in the next section.

#### IV. VISUAL SERVOING WITH ROBOT $R_3$

To accomplish fiber insertion using visual servoing of robot  $R_3$  we used the following sequence:

- Using an inverse kinematic solution, the fiber is inserted into the feedthrough hole inside the carrier.
- Optical fiber insertion into a DRIE trench is guided by via points through which the fiber tip is aligned for insertion.
- Next, we use an image based Jacobian that relates changes in image features (pixels) to corresponding change in robot encoder space, as shown in equation (11). The pixel error vector  $[\Delta P_x, \Delta P_y, \Delta\theta]^T$  is used to calculate the required joint actuation vector  $[\Delta E_x, \Delta E_y, \Delta\theta_0]^T$  for the robot  $R_3$ .
- $R_3$  is commanded to execute the positioning correction given by  $[\Delta E_x, \Delta E_y, \Delta\theta_0]$ .
- The above outlined procedure is executed in a loop to guide the fiber to follow a trajectory defined by imaging the trench and fiber repeatedly.

$E_x, E_y$  and  $\theta_0$  are the joint coordinates of  $M^3$  manipulator  $R_3$ , and  $X_p, Y_p$  and  $\theta_p$  are the position and orientation of the fiber tip in global coordinates. The relationship between the pixel measurements using the zoom camera ( $P_x, P_y$ ) and the location of the fiber in global coordinates is determined by

$$\begin{bmatrix} X_p \\ Y_p \end{bmatrix} = G_{2 \times 2} I. \left( \begin{bmatrix} E_x \\ E_y \end{bmatrix} + \begin{bmatrix} K_1 \\ K_2 \end{bmatrix} \right) + \begin{bmatrix} R_{3x} \\ R_{3y} \end{bmatrix} + R_3(\theta)_{(2 \times 2)} [M_{1(2 \times 2)} \quad T_{(2 \times 1)}] \begin{bmatrix} P_{xinit} \\ P_{yinit} \end{bmatrix}$$

$$\theta_p = \theta_0 + \theta_{offset} \quad (6)$$

Where  $M_1$  is a  $2 \times 2$  calibration matrix for the  $R_1$  robot [10],  $R(\theta_0)$  is the unitary rotation matrix of angle  $\theta_0$ ,  $t_1, t_2, k_1, k_2, \theta_{offset}$  are unknown constants and  $P_{xinit}, P_{yinit}$  are the initial pixel vector of the fiber tip. The kinematic identification procedure described in section III has been used to estimate

these constants from repeated measurements using a  $3 \times 3$  grid.

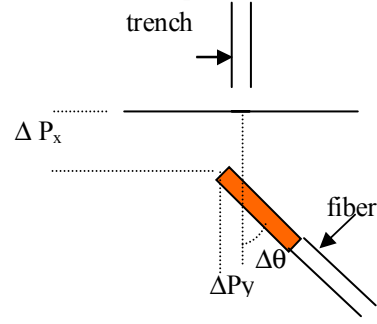


Fig.7. Alignment offset calculation in pixel coordinates

At the same time, the  $R_1$  manipulator used for imaging yields:

$$\begin{bmatrix} X_p \\ Y_p \end{bmatrix} = \begin{bmatrix} X_c \\ Y_c \end{bmatrix} + M_1 \begin{bmatrix} P_x \\ P_y \end{bmatrix} \quad (7)$$

in which,  $X_c, Y_c$  are the camera  $R_1$  ( $X, Y$ ) joint coordinates.

The measured calibration data were:

$$[P_{xinit}, P_{yinit}] = [123.792, 129.495];$$

$$M_1 = [0.011654, -0.000094011; 0.00016128, -0.011695];$$

We now use these constants to calculate the image Jacobian corresponding to the  $R_3$  manipulator and use it to guide the fiber into the trench using visual servoing. To calculate the Jacobian, relate small changes in joint  $R_3$  coordinates to small changes in pixel values for the fiber tip from equations (6) and (7):

$$\begin{bmatrix} \Delta P_x \\ \Delta P_y \end{bmatrix} = M_1^{-1} \left[ G_{2 \times 2} I \begin{bmatrix} \Delta E_x \\ \Delta E_y \end{bmatrix} + \begin{bmatrix} -\sin(\theta_0) & -\cos(\theta_0) \\ \cos(\theta_0) & -\sin(\theta_0) \end{bmatrix} \Delta\theta_0 [M_{1(2 \times 2)} \quad T_{(2 \times 1)}] \begin{bmatrix} P_{xinit} \\ P_{yinit} \end{bmatrix} \right] \quad (8)$$

or

$$\begin{bmatrix} \Delta P_x \\ \Delta P_y \end{bmatrix} = M_1^{-1} \left[ G_{2 \times 2} I \begin{bmatrix} \Delta E_x \\ \Delta E_y \end{bmatrix} + \Delta\theta_0 \begin{bmatrix} b_1(\theta_0) \\ b_2(\theta_0) \end{bmatrix} \right], \quad (9)$$

in which,

$$\begin{bmatrix} b_1(\theta_0) \\ b_2(\theta_0) \end{bmatrix} = \begin{bmatrix} -\sin(\theta_0) & -\cos(\theta_0) \\ \cos(\theta_0) & -\sin(\theta_0) \end{bmatrix} \left[ M_1 \begin{bmatrix} P_{xinit} \\ P_{yinit} \end{bmatrix} + \begin{bmatrix} t_1 \\ t_2 \end{bmatrix} \right] \quad (10)$$

We now rearrange equation (9) as an image Jacobian:

$$\begin{bmatrix} \Delta P_x \\ \Delta P_y \\ \Delta\theta \end{bmatrix} = J \begin{bmatrix} \Delta E_x \\ \Delta E_y \\ \Delta\theta_0 \end{bmatrix} \quad (11)$$

Where;

$$J = \begin{bmatrix} M_1^{-1} G_{2 \times 2} I & M_1^{-1} \begin{bmatrix} b_1(\theta_0) \\ b_2(\theta_0) \end{bmatrix} \\ 0 & 0 & 1 \end{bmatrix} \quad (12)$$

Experimentally, we approximate the Jacobian around the origin of the rotation axis of  $R_3$ , ( $\theta_0 \sim 0$ ), and use the

approximate Jacobian to perform visual servoing. Based on the calibration parameters we get,

$$J = J(0) = \begin{bmatrix} -0.00053272 & 6.9985e-005 & -114.62 \\ -1.3509e-005 & -0.0052483 & 509.31 \\ 0 & 0 & 1 \end{bmatrix}$$

The servoing results are shown in Figure 8. The error in positioning the fiber at the final via point (end of trench) was 2.90  $\mu\text{m}$  in X and 0.01 degrees.

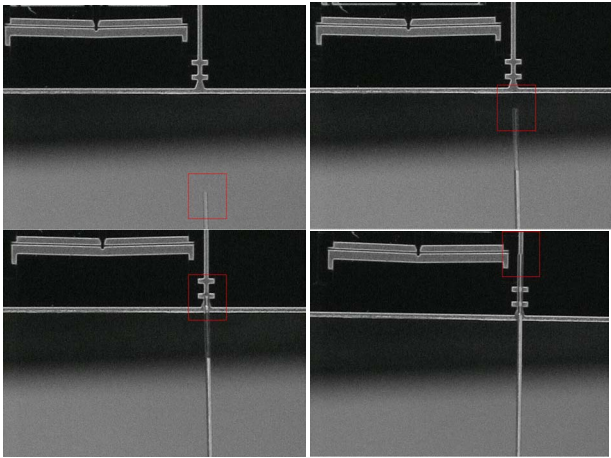


Fig.8. A 126  $\mu\text{m}$  gold coated optical fiber inserted into the package and the DRIE trench. The fiber tip is highlighted in 4 different frames.

## V. CONCLUSION

This paper presents  $M^3$ , a robotic assembly platform with multiscale assembly and packaging capability. Even though we configured the system for packaging of a particular MOEMS device, the flexibility of this architecture makes it possible to quickly reconfigure the system for other tasks, as it is often needed in a research or a low-volume production facility. We use a rigorous approach to evaluate the tolerance budget of an assembly task, the positioning accuracy of the manipulators, tools and fixtures, and we use quantitative measures to assign manipulator tasks. We indicate how to systematically use fixtures, calibration, inverse kinematics and visual servoing to achieve the necessary levels of precision, and we present experimental results of calibration and servoing with one of the robots in the workspace. Future work will include the implementation of the assembly sequencer using a discrete event controller (DEC), and the characterization and compensation of dynamic effects (e.g. vibrations) during assembly.

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