

# MULTICHANNEL FILTER FOR ENHANCEMENT OF SPEECH BLOCKS

Ivandro Sanches

*Genius Instituto de Tecnologia, Manaus, Amazonas, Brazil*  
*isanches@genius.org.br*

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Abstract: This work presents the concepts and the achieved results of a proposed microphone array algorithm based on multi-dimensional Wiener filter developed to work on blocks of speech. The inputs to the algorithm are two correlation matrices: the correlation matrix of the background noise affecting the desired signal and the correlation matrix of the signal affected by the noise. Experiments show that improvements of more than 12dB on signal to noise ratio can be achieved when comparing the filtered signals with one of the microphone array channels. In order to save computational load, the input signal is processed in blocks of a specified size and a technique is proposed to reduce blocking effects on the output filtered signal. It will be shown that practically there are no blocking effects. It is also shown that the technique is independent of the array physical configuration.

## 1 INTRODUCTION

Speech communication or recognition systems on embedded and other kinds of applications are demanding for effective ways of dealing with low signal to noise ratio (SNR) and the mobility of speakers (or even the mobility of applications, in the case of robots). Microphone array techniques play an important role in this scenario. This work presents a multichannel algorithm which significantly increases the SNR, copes with any microphone array geometry and may facilitate user's and application mobility.

Next section introduces the notation and describes the algorithm. Section 3 presents signal enhancement results when the technique is applied to simulated data and, then, data acquired in real conditions. Simulated data were used in order to show and simulate the independency on array physical configuration and to show the absence of blocking effects in the filtered signal.

## 2 ALGORITHM PRESENTATION

The proposed algorithm has some resemblance to (Flores and Malvar, 2001) and (Doclo and Moonem, 2001). It differs from both in the sense

that the input and output signals are processed in blocks of samples to considerably reduce the computational load. Analysis of the algorithm in hearing aid applications is presented in (Spriet, Moonen, and Wouters, 2005).

The notation used is presented next. It is assumed that speech,  $\mathbf{s}$ , and affecting noise,  $\mathbf{n}$ , are statistically uncorrelated, and that noise is linearly added to speech:

$$\mathbf{x} = \mathbf{s} + \mathbf{n}, \quad (1)$$

where  $\mathbf{x}$  is the output from the  $N$  channels of the microphone array for a given frame analysis of  $L_S$  samples per channel:

$$\mathbf{x} = \begin{bmatrix} x_1(1) & x_1(2) & \cdots & x_1(L_S) \\ x_2(1) & x_2(2) & \cdots & x_2(L_S) \\ \vdots & \vdots & \ddots & \vdots \\ x_N(1) & x_N(2) & \cdots & x_N(L_S) \end{bmatrix}. \quad (2)$$

Our objective is to estimate the clean signal  $\mathbf{s}$  given  $\mathbf{x}$ , the noise statistics, and the filter order  $L$ . In general, we may not need to estimate  $\mathbf{s}$ , but just one of the  $N$  rows of  $\mathbf{s}$ . In the approach, without loss of generality, we attempt to estimate  $s_1$ , that is, the clean speech signal from channel 1. The algorithm has two correlation matrices as input, the

background noise correlation matrix  $\mathbf{R}_N$  and the signal correlation matrix  $\mathbf{R}_X$ . The former is computed with  $L_N$  samples from each channel of the microphone array when there is no speech activity. Note that the bigger  $L_N$  is, the more statistics from noise are gathered at the cost of computational load to estimate  $\mathbf{R}_N$ . The correlation matrix  $\mathbf{R}_X$ , for a given filter order  $L$ , is computed from matrix  $\mathbf{X}$  defined as:

$$\mathbf{X} = [\mathbf{X}_1 \quad \mathbf{X}_2 \quad \cdots \quad \mathbf{X}_N], \quad (3)$$

where,

$$\mathbf{X}_i = \begin{bmatrix} x_i(1) & x_i(2) & \cdots & x_i(L) \\ x_i(2) & x_i(3) & \cdots & x_i(L+1) \\ \vdots & \vdots & \ddots & \vdots \\ x_i(L_S - L + 1) & x_i(L_S - L + 2) & \cdots & x_i(L_S) \end{bmatrix}, \quad 1 \leq i \leq N \quad (4)$$

Then, the correlation matrix  $\mathbf{R}_X$ , is computed from:

$$\mathbf{R}_X = \frac{\mathbf{X}^T \cdot \mathbf{X}}{L_S - L + 1}, \quad (5)$$

where  $\mathbf{X}^T$  is the transpose of  $\mathbf{X}$ . Matrix  $\mathbf{R}_N$  is computed in similar fashion with  $L_N$  background noise samples per channel, instead.

The optimal multi-dimensional Wiener filter,  $\mathbf{W}_{WF}$ , can now be computed:

$$\mathbf{W}_{WF} = \mathbf{R}_X^{-1}(\mathbf{R}_X - \mathbf{R}_N), \quad (6)$$

as presented in (Florencio and Malvar, 2001), matrix  $\mathbf{R}_X^{-1}$  above can be replaced by  $(\mathbf{R}_X + \rho \mathbf{R}_N)^{-1}$ , where  $\rho \geq 0$ . Increasing  $\rho$  improves intelligibility at a cost of increasing signal distortion.

The filtered signal matrix can then be computed from

$$\mathbf{Y} = \mathbf{W}_{WF} \cdot \mathbf{X}^T. \quad (7)$$

It can be seen that matrix  $\mathbf{Y}$  is  $(NL) \times (L_S - L + 1)$ . Every  $L$  rows from  $\mathbf{Y}$  correspond to a filtered estimate of a specific channel from the array, and they can be conveniently grouped to form an improved filtered estimate from the specific channel. Grouping  $L$  consecutive filtered signals is possible when it is noticed that each one of the  $L$  rows is shifted by just one sample from the next row. Equation 8 presents the grouping process resulting in the output filtered signal of length  $L_S - L(N+1) + 2$  corresponding to the estimation of  $s_1$ ,

$$y_1(n) = \frac{\sum_{i=1}^L \mathbf{Y}[i][NL - i + n]}{L}, \quad 1 \leq n \leq L_S - L(N+1) + 2, \quad (8)$$

where  $\mathbf{Y}[i][j]$  is the  $\mathbf{Y}$  element on row  $i$  and column  $j$ . Figure 1 illustrates the time relative positions among frames and the length of the filtered signals in  $\mathbf{Y}$  and in  $y_1$  compared to the original frame length. The algorithm then proceeds taking the next  $L_S$  input samples per channel after an input shift of  $L_S - L(N+1) + 2$  samples.

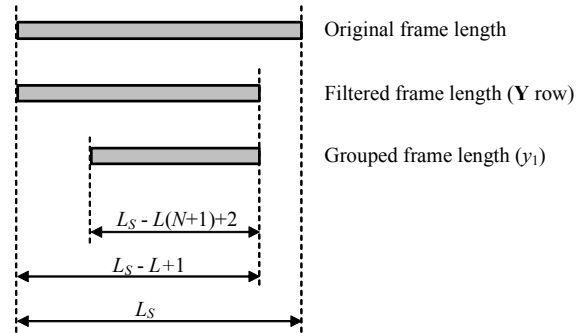


Figure 1: Lengths of the original analysis frame, filtered frame and grouped frame.

As an example, when applying the algorithm in a speech recognition experiment, one may wish that the length of the filtered vector  $y_1$  be around 20ms at a frame rate of 10ms. For that end, assuming sampling frequency  $f_s$  kHz, the following must be satisfied:

$$20f_s = L_S - L(N+1) + 2. \quad (9)$$

To help with the definitions, one can further assume the constraint that the filtered signal  $y_1$  is half of the original frame length  $L_S$ , resulting an  $L_S$  corresponding to 40ms. These assumptions and constraints provide a way to determine the value of  $L$ , the filter order:

$$L = \mathbf{round}\left(\frac{20f_s + 2}{N+1}\right). \quad (10)$$

Thus, for instance, when  $N = 2$  microphones and  $f_s = 8$ kHz, the filter order is  $L = 54$ , and  $L_S = 320$  samples.

More generally, equation 8 can be rewritten for channel  $j$ ,  $1 \leq j \leq N$ :

$$y_j(n) = \frac{\sum_{i=1}^L \mathbf{Y}[i + (j-1)L][NL - i + n - (j-1)L]}{L}, \quad 1 \leq n \leq L_S - L(N+1) + 2. \quad (11)$$

### 3 EXPERIMENTS

This section presents experimental results that show the performance of the proposed algorithm on simulated data as well as data acquired in real conditions.

#### 3.1 Simulated Data

This section presents the algorithm acting on simulated signals in order to explore the algorithm behaviour in respect to blocking effects and independence on the array configuration, that is, it will be shown that the algorithm does not require that the signal be acquired from a perfectly symmetric array. Two experiments will be presented in this section.

The first experiment explores how the algorithm deals with blocking effect. For that end, it was simulated a 4-channel (4 microphones) signal affected by omnidirectional noise at a signal to noise ratio (SNR) of 0dB. Signals sampling frequency is 8kHz. Every channel has an initial period of noise and then a 100Hz sine wave starts. Noise statistics are obtained from the beginning 100ms of the signal (no sine wave present). Sine waves from adjacent channels are shifted by 30 degrees. Analysis frame duration of the input signal is 40ms. Frame duration of the output filtered signal is 20ms, thus blocking effects would happen at this rate (every 2 cycles of the sine wave). The affecting noise is a Gaussian random noise uncorrelated among channels, which is not a condition that happens on real applications, where noise is correlated among channels (the next experiment will show a condition where noise is highly correlated among channels).

Figure 2 presents 60ms of the described signals. There are three plots in this figure. The first plot presents the clean signal. It can be seen that the sine wave period is 10ms, corresponding to 100Hz. The second plot shows the noisy signal, which is formed from the addition of the clean 4-channel sine wave signal to the 4-channel noise signal. The third plot presents the filtered signal corresponding to every channel of the array (see equation 11). The discontinuities at 0.01s on the clean signal, first plot, cause a transition region on the filtered signal, third plot, of about 20ms, after which there is no visual evidence of blocking effect, since the filtered signal is fairly continuous. This was also confirmed analyzing the remaining seconds of the filtered signal. Figure 3 presents in more detail the results for channel 1 only. The first plot compares directly the input clean signal to the filtered signal. The

second plot presents channel 1 noisy signal, which is one of the inputs to the algorithm.

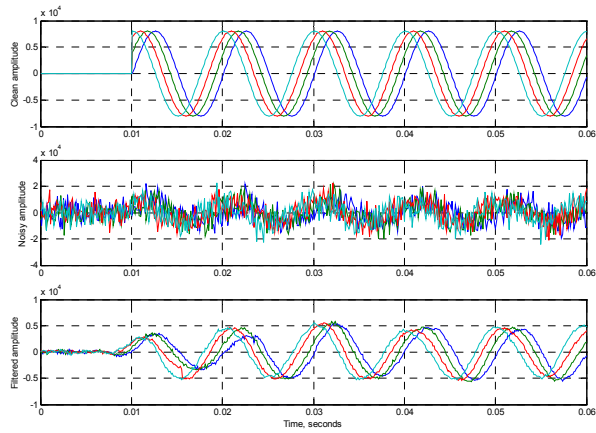


Figure 2: Plot 1 presents a 4-channel 100Hz clean sine wave signal. Every adjacent channel is shifted by 30 degrees. Plot 2 is the result of adding omnidirectional Gaussian noise at 0dB SNR, producing the noisy signal input to the algorithm. Plot 3 is the output filtered signal corresponding to each input noisy channel.

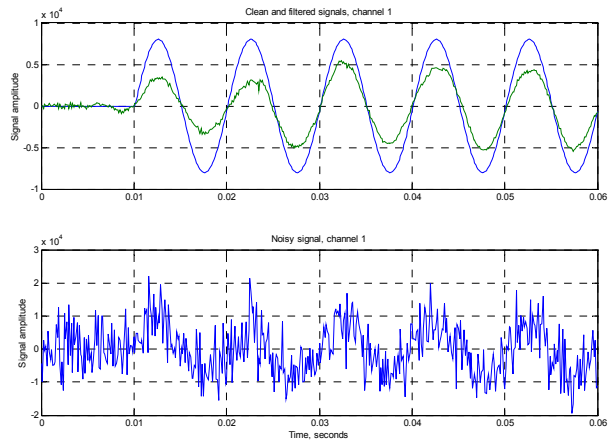


Figure 3: Channel 1 extracted from figure 2. The first plot compares channel 1 clean signal to the corresponding filtered signal. The second plot presents the actual channel 1 input noisy signal.

The second experiment, illustrated in figure 4, aims to observe the behaviour of the algorithm in an eventual asymmetric array configuration. Producing different phase shifts between adjacent channels simulates this. In the example, the clean signal phase shifts from channel 1 are 30, 90 and 180 degrees. Likewise, the noise signal channels have different phase shifts. From channel 1, the phase shifts on the noise channels are -20, -50 and -90 degrees. As before, the clean signal is composed of 100Hz sine waves, while the noise signal is now formed with

500Hz sine waves at 0dB SNR. It can be seen on figure 4 third plot that the algorithm coped conveniently with the different phase shifts imposed on the clean and noise signals. It can be noticed that the phase shift among input channels is preserved among the output filtered channels. And, again, no blocking effect can be detected. Figure 5 presents with more detail channel 1 clean signal directly compared to the filtered channel 1 (first plot) and the input noisy signal (second plot).

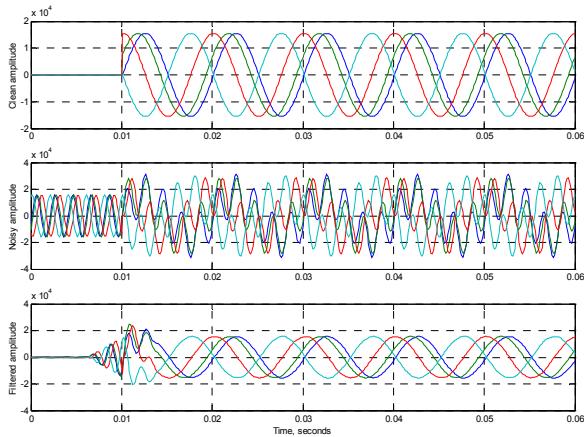


Figure 4: Experiment to show the independence of the algorithm to asymmetries on array configuration.

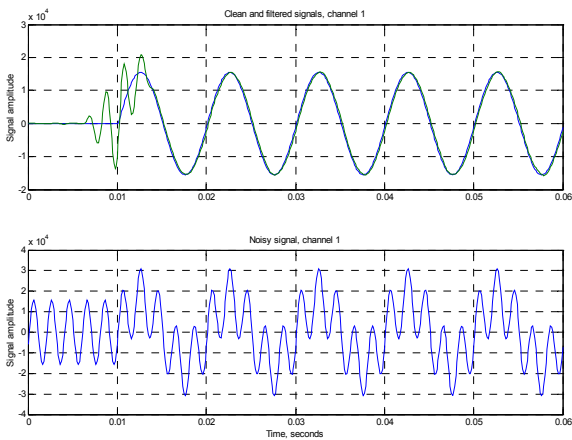


Figure 5: The first plot compares channel 1 clean signal to the corresponding filtered signal from figure 4. Second plot presents the actual channel 1 input noisy signal.

### 3.2 Real Data

The speech data used in this experiment was acquired from a microphone array with four omnidirectional microphones spaced by 15cm. The signals were acquired at a sampling frequency of 48kHz. In this experiment the signals were decimated to 16kHz. The speaker was about 1m

from the microphones. The environment was a room in the speaker’s house. An engine background noise can be heard when the corresponding audio file from one of the channels is played. Figure 6 first plot presents the signal from one channel of the microphone array. The SNR at this channel is 4.3dB. Figure 6 second plot shows the output from the proposed algorithm. The SNR at the filtered signal is 32.3dB. Both SNR’s were computed by the NIST signal to noise estimation utility (quick method; see References section below). Note that the noise from the first 300ms from the filtered signal is more attenuated than the remaining of the noise portion, since the first 400ms from the noisy input was used to compute the noise correlation matrix,  $\mathbf{R}_N$ . Input frames of 40ms ( $L_S=640$ ,  $L=64$ ) were used to compute the signal correlation matrix,  $\mathbf{R}_X$ , at every 20ms interval. Filtered output frames of 20ms (320 samples) were produced and concatenated. Listening to this signal, it is realized that the engine background noise was completely removed.

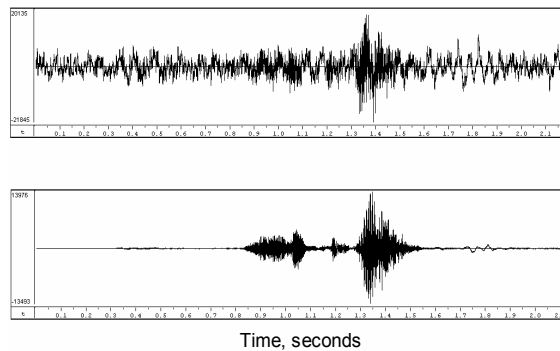


Figure 6: Experiment with real data. The first plot shows one channel from the microphone array. The second plot presents the corresponding algorithm output.

Figure 7 presents in more detail the time interval from 0.8s to 1.2s. This interval corresponds to a sound like ‘she’.

### 3 CONCLUSION

This work presented a successful algorithm based on multi-dimensional Wiener filter, suitable to work with microphone arrays of any physical configuration. It was shown that, although the algorithm works with blocks of signal, in order to reduce computational load, blocking effects are not perceptible. It is worth mentioning that from the speech recognition point of view, coupling the

microphone array to the speech recognition front-end, blocking effect is not an issue when it is realized that the front-end works with blocks (frames) of speech. If no optimizations are applied, mainly in the solution of equations 5, 6 and 7, algorithm computational complexity is high, about  $(NL)^3 + (L_S - L)(NL)^2$  flops for each block of output signal (e.g., 4.4Mflops for 20ms of filtered speech with  $N = 2$  microphones,  $f_s = 8\text{kHz}$ ,  $L = 54$ , and  $L_S = 320$  samples). Future efforts should be focused on this issue, exploring matrices symmetries and positive definiteness. As an example, the computation of  $\mathbf{R}_X$  can go from about  $(L_S - L)(NL)^2$  to about  $N(N+1)(L_S L + 3L^2 + 5L)$  flops. The independence on the array physical configuration coupled with the computation of every channel best estimate may be conveniently applied on speech recognition tasks where microphones are spread in a room environment, and the channel with the best SNR is chosen as input to the speech recognition process, extending speaker's mobility. The next steps will be to investigate the performance of the algorithm on speech recognition experiments.

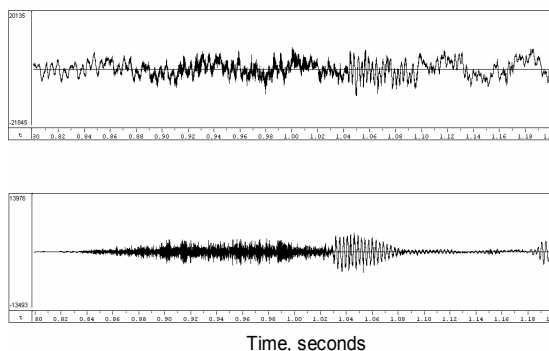


Figure 7: Excerpt from figure 6 signals, between 0.8s and 1.2s. This interval corresponds to a sound like ‘she’.

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